

Math 1600, Section 1, Fall 2010 – Statistics  
Final Review Sheet

See review sheet for Midterm 2 and all previous quizzes and exams.  
This is only intended as a guide.

Some problems from the book: 10.4, 3.14, 3.15, 3.16, 3.17, 3.24

- A random sample of 2000 people from the labor force or a large city are interviewed, and 175 of them are found to be unemployed.
  - Estimate the rate of unemployment based on the data.
  - Establish a 98% error margin for your estimate.
- While estimating a population proportion using a large sample, it is reported that the point estimate of  $p$  is  $\hat{p} = .32$  and its 90% error margin is .08. Using this information find:
  - A 95% confidence interval for  $p$ ,
  - The sample size  $n$  that was used in the study.
- From telephone interviews with 980 adults, it was found that 78% of those persons supported tougher legislation for antipollution measures. Does this poll substantiate the conjecture that more than 75% of the adult population is in favor of tougher legislation for antipollution measures? (Note that you cannot use the results of the survey until step d.)
  - Formulate the hypotheses.
  - State the test statistic and the form of the rejection region.
  - With  $\alpha = .03$  determine the rejection region.
  - Calculate the test statistic from the data.
  - Draw your conclusion (this should include a computation of the P-value). Write the final conclusion as a sentence that answers the question in the problem statement..
- Do problem 10.12 on page 405 of our book.
- Do problem 10.13 on page 405 of our book.
- Do problem 10.41 on page 418 of our book.
- Do problem 10.42 on page 418 of our book.
- For data from a set of  $n=10$  observations, one has calculated the 95% confidence interval for  $\sigma$  and obtained the result (4.05, 10.75).
  - What was the standard deviation  $s$  for the sample? (Hint: Examine how  $s$  enters the formula of a confidence interval.)
  - Calculate a 90% confidence interval for  $\sigma$ .
- Given the following, compute a 95% confidence interval for the population mean,  $\mu$ .  
 $n = 17, \sum x_i = 220, \sum (x_i - \bar{x})^2 = 75$
- A manager wants to estimate the time it takes to process an order. A random sample of 6 recent orders yields the following times:  
28 26 25 30 22 34  
Determine a 90% confidence interval for the true time to fill orders. State any assumptions you make.